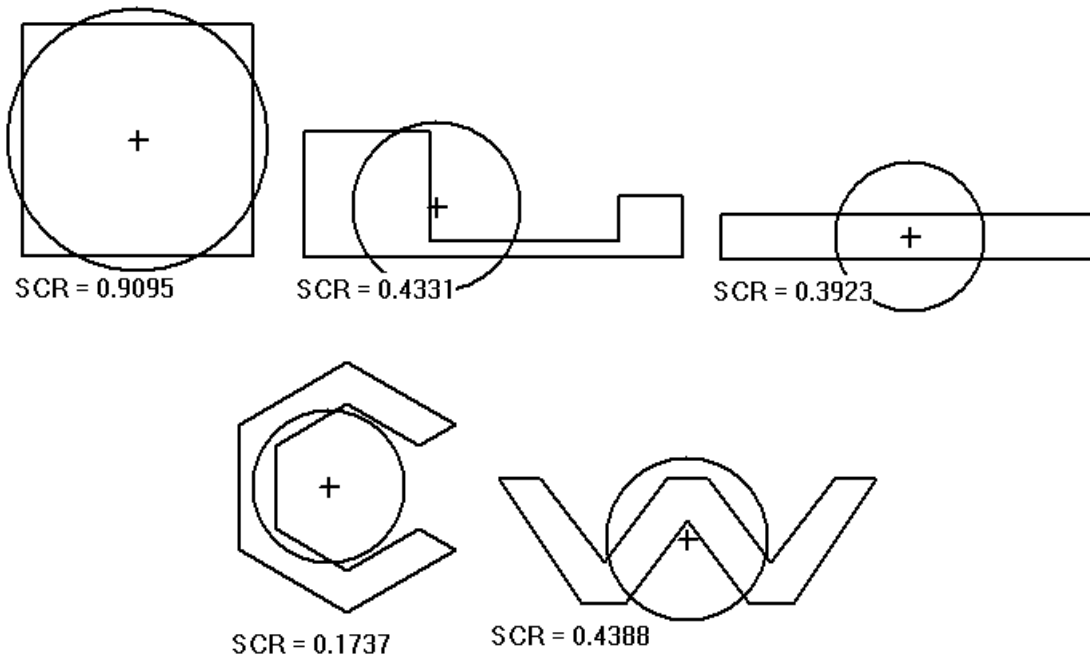


## D • Gerrymandering Criterion

One of the criteria used in evaluating election districts is the compactness of the districts. Professor Fumblemore wants to investigate whether the *roundness* of election districts can be used to test for compactness. The *simplified centered roundness*  $SCR(R)$  of a plane region  $R$  is defined by:

- $(x, y)$  is the centroid of  $R$
- $D$  is a disc centered at  $(x, y)$  with the same area as  $R$
- $SCR(R) = (\text{Area of } (R \cap D)) / \text{Area}(R)$

The simplified centered roundness will always be between 0 and 1. In practice, the region will be approximated by a polygon. Some examples: the cross (+) is the centroid of  $R$ :



Write a program which takes as input the vertices of a polygon in counter-clockwise order (interior of the polygon is to the left of the boundary as you follow it) and finds the *simplified centered roundness* of the polygon.

**Input and Output specification are on the back of this page.**



## Input

Input data consists of multiple lines of input. The first line contains the number  $N$ , ( $3 \leq N \leq 100$ ) of vertices to follow. The first line is followed by  $(N+3)/4$  additional lines consisting of 8 space separated floating point numbers representing the x and y coordinates of the vertices in order (x coordinate first). Each line, except perhaps the last, will contain the coordinates of 4 vertices.

## Output

Output consists of a single line containing the *simplified centered roundness* of the polygon to 4 decimal places.

Sample 1:

| Sample Input         | Sample Output |
|----------------------|---------------|
| 4<br>0 0 4 0 4 4 0 4 | 0.9095        |

Sample 2:

| Sample Input                                    | Sample Output |
|---|---------------|
| 8<br>0 0 12 0 12 2 10 2<br>10 0.5 4 0.5 4 4 0 4 | 0.4331        |